I.10 Tropical mirror symmetry of elliptic curves

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joint work with
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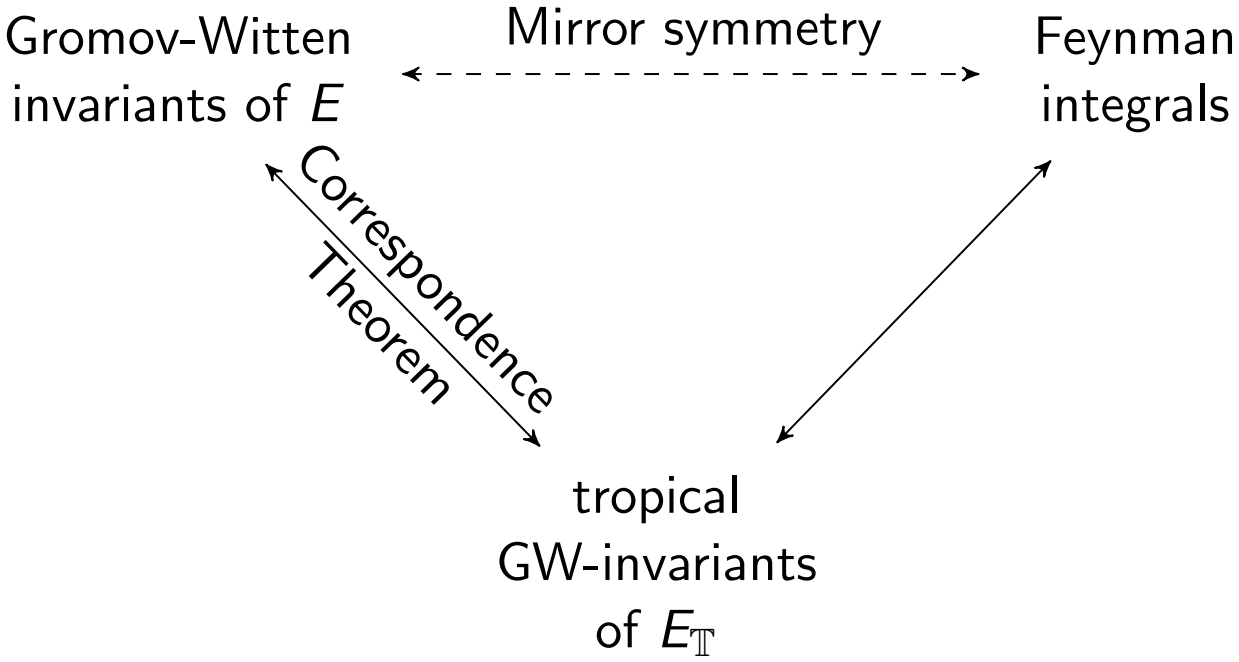
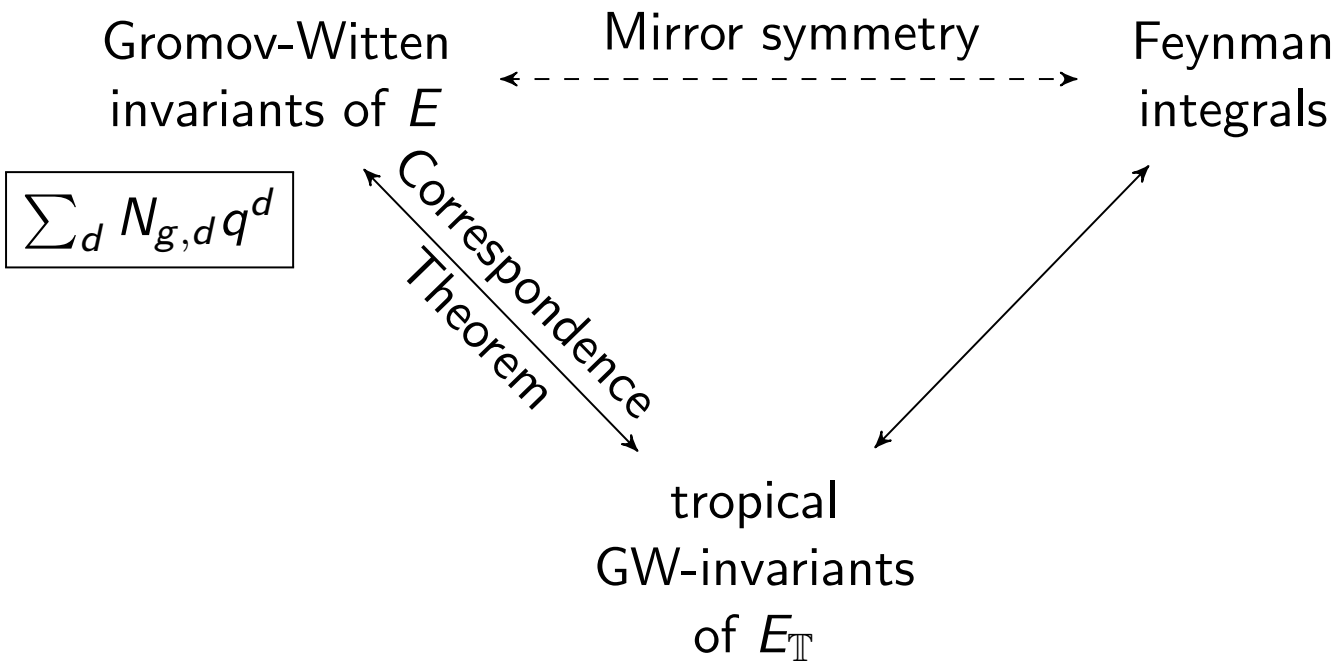


Gromov-Witten invariants of E

Counts of ramified covers of an elliptic curve E satisfying fixed ramification data.



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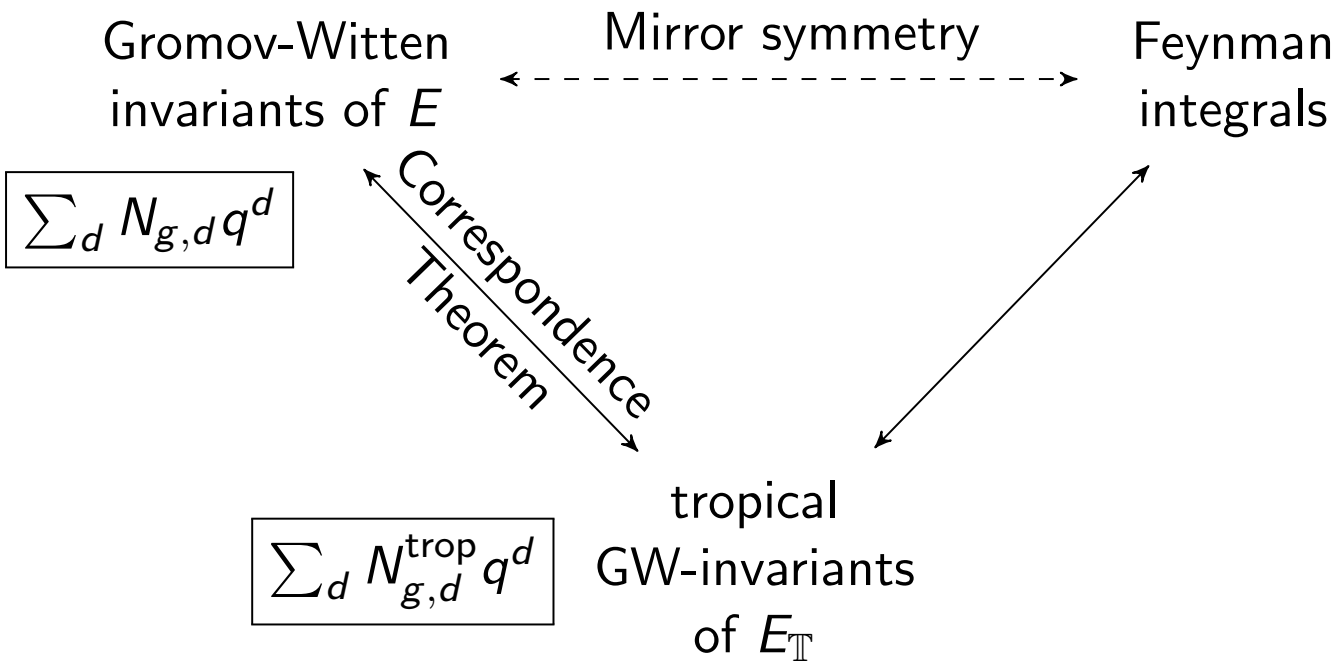

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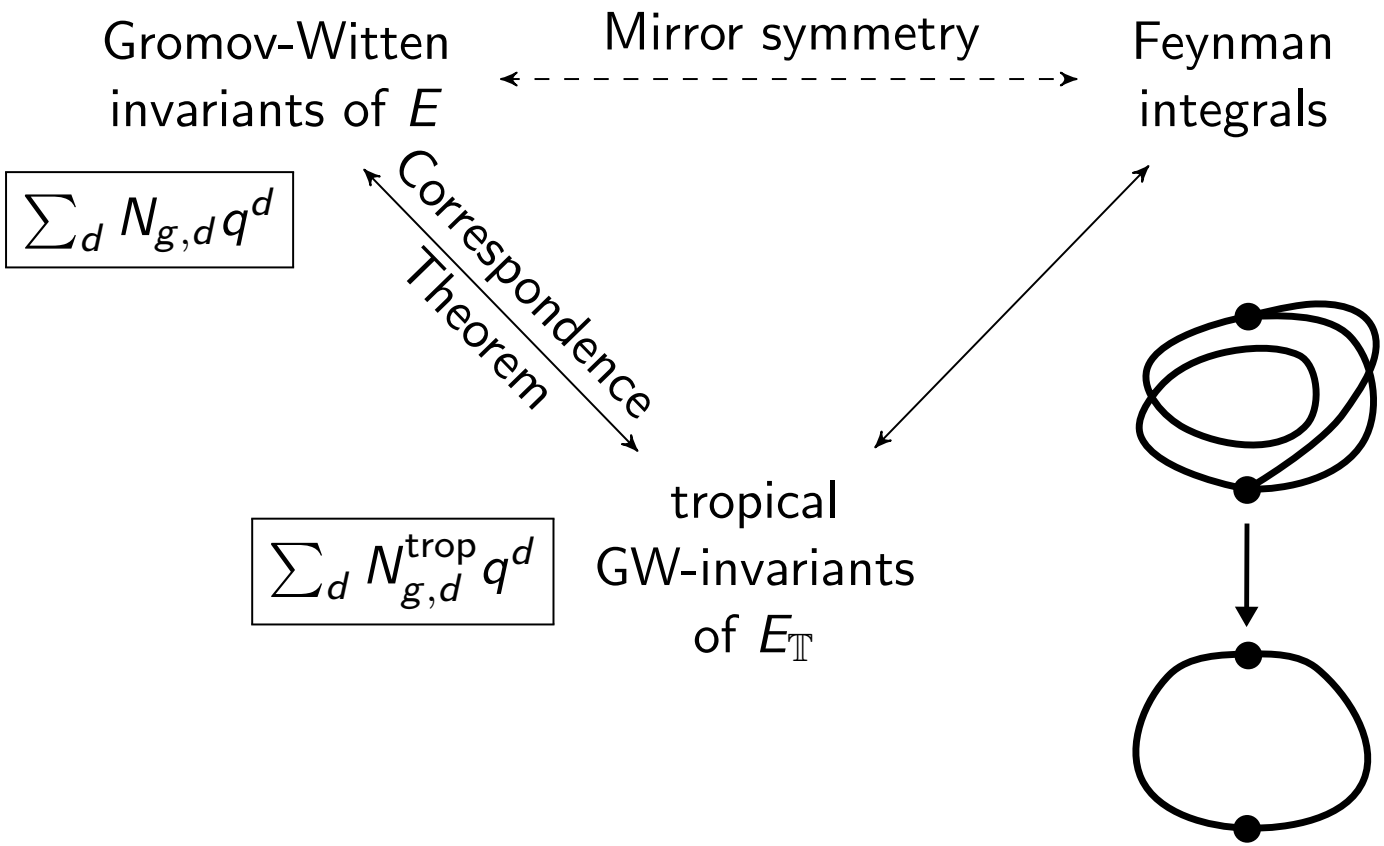

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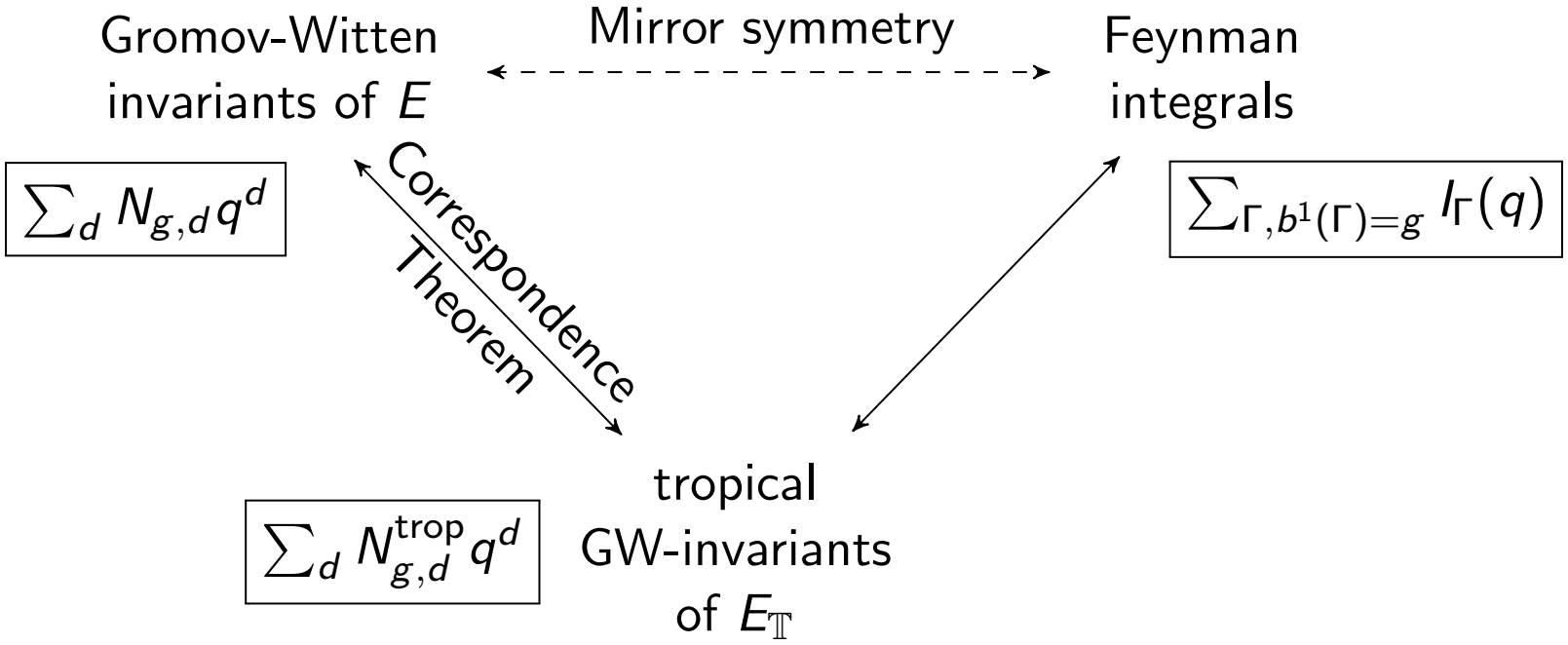

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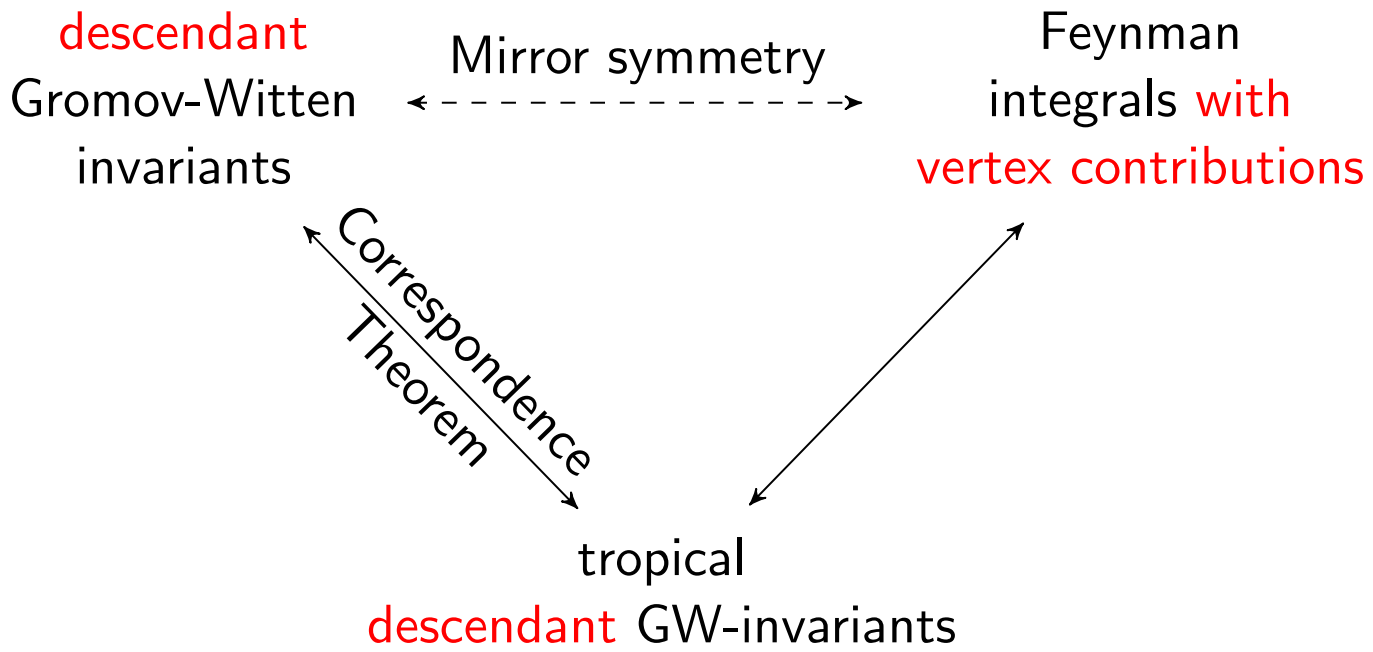

GW-invariants	$\rightsquigarrow$	descendant GW-invariants
simple ramification	$\rightsquigarrow$	other ramification

Tropical mirror symmetry for $E_{\mathbb{T}}$

The main theorem (arXiv:1809.10659):

Theorem (Böhm, G., Markwig)

We can express the series of descendant Gromov–Witten invariants of $E_{\mathbb{T}}$ in terms of Feynman integrals with vertex contributions.

and its application:

Theorem (Böhm, G., Markwig)

The generating series of Gromov–Witten invariants of $E \times \mathbb{P}^1$ equals a sum of Feynman integrals.